A	servation laws are generally the	consequenc	
A.	symmetry	В.	asymmetry
<u>C.</u>	isotropy	D.	homogeneity
Homoge	neity of time leads to the conse	ervation of	
Α.	linear momentum	В.	Angular momentum
C.	kinetic energy	D.	total energy
	and \vec{v}_{12}' be the relative velocit		
before a	and after collision, ε is the coeff	iclent of rest	tution, then
Α	$\vec{v}_{12}' = \varepsilon(\vec{v}_{12})$	В.	$\vec{v}_{12}' = \vec{v}_{12}/\varepsilon$
. C.	$\vec{v}_{12}' = -\varepsilon(\vec{v}_{12})$	D.	$\vec{v}_{12}' = \varepsilon / \vec{v}_{12}$
. An expl	ocion blows a rocket into thre	e parts. Two	pieces go off at right angles to
nach ne	hare 1 kg nines with vallacity of	12 ms and	other 2 kg piece with velocity a
ms ⁻¹ . If	the third piece flies of with a ve	locity of 40 n	ns ⁻¹ , then the mass (in kg) of the
third pi			A PLANTAGE STREET
A.	0.2	В.	0.3
C.	0.4	D.	0.5
5. A parti	cle of mass m moves in a circula	r orbit of rad	ius r having angular momentum
Labout	t its centre. The kinetic energy o	f particle is	
A.	1./mr2	В.	$L^2/2mr^2$
		D.	L^2/m^2r^2
6. A sph	ere of mass M_1 moving with of mass M_2 at rest. After or	velocity v_1 collision of the city, the ratio	collides elastically with another two spheres they moves in of their masses M_1/M_2 are
6. A sph sphere opposi A.	here of mass M_1 moving with of mass M_2 at rest. After of the directions with the same velocity $1/2$	city, the ratio	of their masses M_1/M_2 are 1/3
opposi A.	te directions with the same velo	B. D.	of their masses M_1/M_2 are
opposi A.	te directions with the same velocite directions with the same velocite 2/3 F be a conservative force field, t	B. D.	of their masses M_1/M_2 are 1/3 3/5
sphere opposi A. C. 7. If	of mass M_2 at rest. After the directions with the same velocity $1/2$ and $2/3$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$	B. D.	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \vec{F} = 0$
sphere opposi A. C. 7. If	of mass M_2 at rest. After the directions with the same velocity $1/2$ and $2/3$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$	B. D.	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \vec{F} = 0$
sphere opposi	to of mass M_2 at rest. After the directions with the same velocite directions with the same velocity $\frac{1}{2}$ \vec{F} be a conservative force field, to $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Finisher of mass m moves on a particle of mass m m moves on a particle of mass m m m m m m m m m m m m m m m m m	B. D.	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \vec{F} = 0$
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sphere opposition A. C. 7. If A. C. 8. A part angula	for mass M_2 at rest. After the directions with the same velocite directions with the same velocite $1/2$ $2/3$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Ticle of mass m moves on a particle of mass m moves on a particle is 0	boilision of the cocity, the ratio	of their masses M_1/M_2 are $ \begin{array}{ccc} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0 \\ \nabla \times \vec{F} = 0 $ $ \vec{r} = a \cos\omega t \hat{\imath} + b \sin\omega t \hat{\jmath}. \text{ The} $ $ \begin{array}{ccc} mab\omega \hat{k} \end{array} $
sphere opposition A. C. 7. If A. C. 8. A part angula A. C.	of mass M_2 at rest. After the directions with the same velocite directions with the same velocite $\frac{1}{2}$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a paramomentum of the particle is 0 $ma^2b^2\omega^2\hat{k}$	beity, the ratio	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \times \vec{F} = 0$ $ \vec{F} = a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}. \text{ The}$ $ \begin{array}{c} mab\omega \hat{k} \\ \frac{1}{2}(ma^2b^2\omega^2)\hat{k} \end{array} $
sphere opposition A. C. 7. If A. C. 8. A part angula A. C.	of mass M_2 at rest. After the directions with the same velocite directions with the same velocite $\frac{1}{2}$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a paramomentum of the particle is 0 $ma^2b^2\omega^2\hat{k}$	beity, the ratio	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \times \vec{F} = 0$ $ \vec{F} = a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}. \text{ The}$ $ \begin{array}{c} mab\omega \hat{k} \\ \frac{1}{2}(ma^2b^2\omega^2)\hat{k} \end{array} $
sphere opposition A. C. 7. If A. C. 8. A part angula A. C.	of mass M_2 at rest. After the directions with the same velocite directions with the same velocite $\frac{1}{2}$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a paramomentum of the particle is 0 $ma^2b^2\omega^2\hat{k}$	beity, the ratio	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \times \vec{F} = 0$ $ \vec{F} = a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}. \text{ The}$ $ \begin{array}{c} mab\omega \hat{k} \\ \frac{1}{2}(ma^2b^2\omega^2)\hat{k} \end{array} $
sphere opposition A. C. 7. If A. C. 8. A part angula A. C. 9. If \vec{a} as	of mass M_2 at rest. After \vec{c} ite directions with the same velocite $1/2$ $2/3$ \vec{F} be a conservative force field, to $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a part momentum of the particle is 0 $ma^2b^2\omega^2\hat{k}$ and \vec{b} are two vectors then the value $\vec{a} \times \vec{b}$	botty, the ratio B . D. hen B. D. th given by \overline{b} B. D. ue of $(\overline{a} + \overline{b})$	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \times \vec{F} = 0$ $ \vec{F} = a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}. \text{ The}$ $ \begin{array}{c} mab\omega \hat{k} \\ \frac{1}{2} (ma^2 b^2 \omega^2) \hat{k} \\ \times (\vec{a} - \vec{b}) \text{ is} \\ -2(\vec{b} \times \vec{a}) \end{array} $
sphere opposition of the composition of the composi	of mass M_2 at rest. After the directions with the same velocite directions with the same velocite $1/2$ $2/3$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a paramomentum of the particle is 0 $ma^2b^2\omega^2\hat{k}$ $md\vec{b}$ are two vectors then the value $\vec{a} \times \vec{b}$	bolision of the cocity, the ratio B . D. hen B. D. th given by B . D. ue of $(\vec{a} + \vec{b})$ B. D.	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \times \vec{F} = 0$ $ \vec{r} = a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}. \text{ The}$ $ \begin{array}{c} mab\omega \hat{k} \\ \frac{1}{2} (ma^2 b^2 \omega^2) \hat{k} \\ 3 \times (\vec{a} - \vec{b}) \text{ is} \\ -2(\vec{b} \times \vec{a}) \\ 2(\vec{b} \times \vec{a}) \end{array} $
sphere opposition of the composition of the composi	of mass M_2 at rest. After the directions with the same velocite directions with the same velocite $1/2$ $2/3$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a paramomentum of the particle is 0 $ma^2b^2\omega^2\hat{k}$ $md\vec{b}$ are two vectors then the value $\vec{a} \times \vec{b}$	bolision of the cocity, the ratio B . D. hen B. D. th given by B . D. ue of $(\vec{a} + \vec{b})$ B. D.	of their masses M_1/M_2 are $ \begin{array}{c} 1/3 \\ 3/5 \end{array} $ $ \nabla \vec{F} = 0$ $ \nabla \times \vec{F} = 0$ $ \vec{r} = a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}. \text{ The}$ $ \begin{array}{c} mab\omega \hat{k} \\ \frac{1}{2} (ma^2 b^2 \omega^2) \hat{k} \\ 3 \times (\vec{a} - \vec{b}) \text{ is} \\ -2(\vec{b} \times \vec{a}) \\ 2(\vec{b} \times \vec{a}) \end{array} $
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sphere opposition of the A. C. 11. The	of mass M_2 at rest. After to the directions with the same velocite directions with the same velocite directions with the same velocity $2/3$ \vec{F} be a conservative force field, the $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a particle of mass m moves on a particle is 0 $ma^2b^2\omega^2\hat{k}$ $\vec{a} \times \vec{b}$ $\vec{b} \times \vec{a}$ The identical particles with velocity each other in such a way that the resultant particle is $v_0/3(\hat{i}+\hat{j}+\hat{k})$ $v_0/3(\hat{i}-3\hat{j}+\hat{k})$ Extends work done on a particle is	bolision of the city, the ratio B . D. hen B. D. th given by B . B. D. ue of $(\vec{a} + \vec{b})$ B. D. cites $v_0 \hat{i}, -3v_0$ hey form a sign.	$ \begin{array}{c c} \hline 1/3 \\ \hline 3/5 \\ \hline \hline V\vec{F} = 0 \\ \hline \vec{V} \times \vec{F} = 0 \\ \vec{F} = a\cos\omega t \hat{t} + b\sin\omega t \hat{j}. \text{ The} \\ \hline mab\omega \hat{k} \\ \hline \frac{1}{2}(ma^2b^2\omega^2)\hat{k} \\ \hline \times (\vec{a} - \vec{b}) \text{ is} \\ \hline -2(\vec{b} \times \vec{a}) \\ \hline 2(\vec{b} \times \vec{a}) \\ \hline 2(b$
sphere opposition of the composition of the composi	of mass M_2 at rest. After to the directions with the same velocite directions with the same velocite directions with the same velocite $1/2$ $2/3$ \vec{F} be a conservative force field, to $\nabla^2 \vec{F} = 0$ $\nabla \cdot \vec{F} = 0$ Sticle of mass m moves on a particle of mass m moves on a particle is 0 $ma^2b^2\omega^2\hat{k}$ $\vec{a} \times \vec{b}$ $\vec{a} \times \vec{b}$ $\vec{b} \times \vec{a}$ The identical particles with velocities each other in such a way that the resultant particle is	bolision of the city, the ratio B . D. hen B. D. th given by B . B. D. ue of $(\vec{a} + \vec{b})$ B. D. cites $v_0 \hat{i}, -3v_0$ hey form a sign.	of their masses M_1/M_2 are $1/3$ $3/5$ $\nabla \vec{F} = 0$ $\nabla \times \vec{F} = 0$ $\vec{r} = a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}$. The $a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\imath} + b \sin \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\imath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath} + b \cos \omega t \hat{\jmath}$ and $a \cos \omega t \hat{\jmath} + b \cos \omega t \hat$

	article moves along the x-axis from a given by $\vec{F} = (7 - 2x + 3x^2)\hat{\imath} N$.		
. A.	360J	B.	85J
C	1851	D.	135J
	velocity of the electron in the first	The second secon	
abou	ut	BOTH & OLD	it as compared to that of fight
A.	1/300	8.	1/500
C.	1/137	D. '	1/187
14. Tha	t light is a wave is evidenced by	0.	1/10/
A.	Black body radiation	В.	Photoelectric effect
C.	Radioactive emission	D.	Interference phenomenon
5. Who	en light wave is reflected from glass	air interf	the change of phase of the
refle	cted wave is	-air interia	ace, the change of phase of th
A.	π	В.	2π
C.	0	D.	
6. The	radii of dark Newton's rings are pro	nortional t	
A	even natural numbers	B	odd natural numbers
C	all natural numbers	D	
7. If D	be the distance between the screen		none of these
widt λ is	h of the central maximum in the dif	fraction p	attern with light of wavelengt
Α.	$D\lambda/2b$	B.	2Dλ/b
C.	b/2DX	D.	b2/2D
8. In trans	Nicol prism, the O-ray is totally mitted. This statement is	internally	reflected and the E-ray i
A.	true	В.	false
C.	partly true	D.	partly false
9. Whe	n the O-ray and E-ray travel along th	ne optic ax	
· A.	$\mu_{e} > \mu_{o}$	В.	$\mu_0 < \mu_0$
C.	$\mu_e = \mu_o$	D.	$\mu_e = 1/\mu_o$
0. The	standard wavelength (in nm) emitte	d from He-	Ne laser is
A.	543.2	В.	595.2
C.	632.8	D.	635.8
	lasers population inversion is gene		
A.	optical pumping	В.	electrical discharge
C.	thermally	D.	Chemical reactions
-	lography which one is recorded		Chemical reactions
A.	phase information	В.	amplitude information
C.	both phase and amplitude	D.	Intensity information
and the	information .		intensity unormation
71.		of the are	ter of
	Irift velocity of electron in a metal is	B.	$3 \times 10^6 ms^{-1}$
A.	$3 \times 10^8 ms^{-1}$		100 ms ⁻¹
C.	10 mms ⁻¹	D.	100 ms
. Two	ong parallel conductors carrying cu		e same direction
A.	repel each other	B.	Attract each other
C.	do not interact	D.	none of these

M25 M.Sc Physics

SETA

25. ITE	and $arepsilon_0$ be the permitti	Vity of a material and	ε
Α.	$\varepsilon_{r} = \frac{\varepsilon_0}{\varepsilon}$	В.	$\mathcal{E}_{T} = \frac{1}{\mathcal{E}_{0}}$
c.	$\varepsilon_{\tau} = \varepsilon \varepsilon_0$	D.	$\varepsilon_{r} = \frac{1}{\varepsilon \varepsilon_{0}}$
26. The	dipolar polarizability a	t _d is equal to B.	$\mu^2/3kT$
A.	μ^2/kT	D.	μ^2/kT
C.	$3kT/\mu^2$		The street of th
77 Dois	son's equation in elect	rostatics is given by	ρ ρ
A.	$\nabla^2 V = Constant$	В.	$\nabla^2 V = -\frac{\rho}{\varepsilon_0}$
C.	$\nabla^2 V = \frac{\rho}{\epsilon_0}$	D.	$\Delta_5 \Lambda = -b\epsilon_0$
L.	$\nabla^2 V = \frac{1}{\epsilon_0}$	1 411	ie
dia di ne	" dried coordinates th	ie volume element av	ρdρdφdz
28. In cy A.	$\frac{\varepsilon_0}{d\rho d\phi dz}$	В.	ραραφαε
		D.	pdpdz medium of relative permittivity wave (in ms ⁻¹) is 3×10^6
C	puque	and through a	medium of relative permit
no If an	electromagnetic wave	propagates chocity of	wave (in ms ⁻¹) ls
4 and	I leignive be	1, then the velocity of	3,3
The second second			
A.	3 × 10 ⁸	D.	1.5 × 10 ⁶
C. 30. Capa	1.5 × 10 ⁸ citance of a parallel planerence between the two	D. ate capacitor is 2μF. 1 p plates must change	1.5 × 10 ⁶ The rate at which the potential to get displacement current of
A. C. 30. Capa differ 0.4 A	1.5 × 10 ⁸ citance of a parallel planerence between the two	D. ate capacitor is 2µF. 1 p plates must change in B.	1.5×10^6 The rate at which the potential to get displacement current of 2×10^5 V/s
A. C. 30. Capa differ 0.4 A	$\begin{array}{c} 3 \times 10^{8} \\ \hline 1.5 \times 10^{8} \\ \hline \text{citance of a parallel planemence between the two is} \\ \hline 1.5 \times 10^{3} \text{V/s} \\ \hline \end{array}$	D. ate capacitor is 2µF. 1 p plates must change in B. D.	1.5×10^6 The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$
A. C. 30. Capa differ 0.4 A	$\begin{array}{c} 3 \times 10^{8} \\ \hline 1.5 \times 10^{8} \\ \hline \text{citance of a parallel planemence between the two is} \\ \hline 1.5 \times 10^{3} \text{V/s} \\ \hline \end{array}$	D. ate capacitor is 2µF. 1 p plates must change in B. D.	1.5×10^6 The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$
A. C. 30. Capa differ 0.4 A	$\begin{array}{c} 3 \times 10^{8} \\ \hline 1.5 \times 10^{8} \\ \hline \text{citance of a parallel planemence between the two is} \\ \hline 1.5 \times 10^{3} \text{V/s} \\ \hline \end{array}$	D. ate capacitor is 2µF. 1 p plates must change in B. D.	1.5×10^6 The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$
A. C. 30. Capal differ 0.4 A A. C.	citance of a parallel plane rence between the two is $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	D. The plane of t	1.5×10^{6} The rate at which the potential to get displacement current of $2 \times 10^{5} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $\widehat{k} \text{ is solenoidal for }$ $\alpha = \infty$
A. C. 30. Capa differ 0.4 A A. C. A. C.	1.5 × 10 ⁸ citance of a parallel planere between the two is 1.5 × 10 ³ V/s 2 × 10 ⁻⁵ V/s $2 \times 10^{-5} \text{ V/s}$	D. ate capacitor is $2\mu F$. To plates must change is B . D. $(y-2z)\hat{j}+(x+\alpha z)$. B. D. Ruantities is independent	1.5×10^{6} The rate at which the potential to get displacement current of $2 \times 10^{5} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $\widehat{k} \text{ is solenoidal for }$ $\alpha = \infty$
A. C. 30. Capa differ 0.4 A A. C. A. C.	1.5 × 10 ⁸ citance of a parallel planere between the two is 1.5 × 10 ³ V/s 2 × 10 ⁻⁵ V/s $2 \times 10^{-5} \text{ V/s}$	D. ate capacitor is $2\mu F$. To plates must change is B . D. $(y-2z)\hat{j}+(x+\alpha z)$. B. D. Ruantities is independent	1.5×10^{6} The rate at which the potential to get displacement current of $2 \times 10^{5} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $\hat{k} \text{ is solenoidal for }$ $\alpha = \infty$
A. C. 30. Capa differ 0.4 A A. C. A. C.	citance of a parallel plane rence between the two is $ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	D. The plates must change by the plates B . D. The plates B by the plates B	The rate at which the potential to get displacement current of $2 \times 10^{5} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $\alpha = \infty$ $\alpha = 0$ dent of wavelength in the
A. C. 30. Capal differ 0.4 A A. C. A. C. A. C. Whice electr A.	citance of a parallel planere between the two is $ \begin{array}{c c} 1.5 \times 10^8 \\ \hline \text{citance of a parallel planere between the two is} \\ \hline 1.5 \times 10^3 \text{ V/s} \\ \hline 2 \times 10^{-5} \text{ V/s} \\ \hline \text{vector } \vec{A} = (x + 3y)\hat{\imath} + 1 \\ \hline \alpha = 2 \\ \alpha = -2 \\ \text{h of the following of the possible properties} \\ \hline k $	D. ate capacitor is $2\mu F$. To plates must change is B . D. $(y-2z)\hat{j}+(x+\alpha z)\hat{j}$ B. D. quantities is independent in E in	The rate at which the potential to get displacement current of $2 \times 10^{5} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $\alpha = \infty$ $\alpha = 0$ dent of wavelength in the ω
A. C. 30. Capal differ 0.4 A A. C. A. C. A. C. Whice electr A. C.	citance of a parallel planere between the two is $ \begin{array}{c c} 1.5 \times 10^8 \\ \hline \text{citance of a parallel planere between the two is} \\ \hline 1.5 \times 10^3 \text{ V/s} \\ \hline 2 \times 10^{-5} \text{ V/s} \\ \hline \text{vector } \vec{A} = (x + 3y)\hat{\imath} + \frac{1}{2} \\ \hline \alpha = 2 \\ \hline \alpha = -2 \\ \hline h of the following of the follow$	ate capacitor is $2\mu F$. To plates must change in the plates must change in the plates $(y-2z)\hat{j}+(x+\alpha z)\hat{j}$ B. D. Quantities is independent in the plate	The rate at which the potential to get displacement current of $2 \times 10^{5} \text{ V/s}$ $2 \times 10^{5} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $\hat{k} \text{ is solenoidal for } \alpha = \infty$ $\alpha = 0$ $\text{dent of wavelength in the}$ ω equency and unit vector along
A. C. 30. Capal differ 0.4 A A. C. A. C. A. C. Whice electr A. C.	citance of a parallel planere between the two is $ \begin{array}{c c} 1.5 \times 10^8 \\ \hline \text{citance of a parallel planere between the two is} \\ \hline 1.5 \times 10^3 \text{ V/s} \\ \hline 2 \times 10^{-5} \text{ V/s} \\ \hline \text{vector } \vec{A} = (x + 3y)\hat{\imath} + \frac{1}{2} \\ \hline \alpha = 2 \\ \hline \alpha = -2 \\ \hline h of the following of the follow$	ate capacitor is $2\mu F$. To plates must change in the plates must change in the plates $(y-2z)\hat{j}+(x+\alpha z)\hat{j}$ B. D. Quantities is independent in the plate	The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ R is solenoidal for $\alpha = \infty$ $\alpha = 0$ dent of wavelength in the ω equency and unit vector along then
A. C. 30. Capal differ 0.4 A A. C. A. C. A. C. Whice electr A. C.	citance of a parallel planer between the two is $ \begin{array}{c c} 1.5 \times 10^8 \\ \hline \text{citance of a parallel planer between the two is} \\ \hline 1.5 \times 10^3 \text{ V/s} \\ \hline 2 \times 10^{-5} \text{ V/s} \\ \hline \text{vector } \vec{A} = (x + 3y)\hat{\imath} + 4y + 4$	ate capacitor is $2\mu F$. To plates must change in the plates must change in the plates $(y-2z)\hat{j}+(x+\alpha z)\hat{j}$ B. D. Quantities is independent in the plate	The rate at which the potential to get displacement current of $2 \times 10^{5} \text{ V/s}$ $2 \times 10^{5} \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $\hat{k} \text{ is solenoidal for } \alpha = \infty$ $\alpha = 0$ $\text{dent of wavelength in the}$ ω equency and unit vector along
A. C. 30. Capa differ 0.4 A A. C. 31. The v A. C. 32. Whice electr A. C. the dir A.	is 1.5×10^8 citance of a parallel planence between the two is $1.5 \times 10^3 \text{V/s}$ $2 \times 10^{-5} \text{V/s}$ $2 \times 10^{-5} \text{V/s}$ $2 \times 10^{-5} \text{V/s}$ $\alpha = 2$ $\alpha = -2$ h of the following	ate capacitor is $2\mu F$. To plates must change in the plates must change in the plates $(y-2z)\hat{j}+(x+\alpha z)\hat{j}$ B. D. Quantities is independent in the plate	The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ R is solenoidal for $\alpha = \infty$ $\alpha = 0$ dent of wavelength in the ω equency and unit vector along then
A. C. 30. Capal differ 0.4 A A. C. 31. The v A. C. Whice electr A. C. the dir A.	citance of a parallel planere between the two is $ \begin{array}{c c} 1.5 \times 10^8 \\ \hline citance of a parallel planere between the two is 1.5 \times 10^3 V/s 2 \times 10^{-5} \text{ V/s} \\ \hline cector \vec{A} = (x + 3y)\hat{\imath} + 4y + 4$	ate capacitor is $2\mu F$. To plates must change in the plates must change in the plates E_0 and E_0 are plates in the plate in the	The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $k \text{ is solenoidal for}$ $\alpha = \infty$ $\alpha = 0$ $\text{dent of wavelength in the}$ ω equency and unit vector along the then $k \geq \frac{c}{\omega}$
A. C. 30. Capal differ 0.4 A A. C. 31. The v A. C. Whice electr A. C. the dir A.	citance of a parallel planere between the two is $ \begin{array}{c c} 1.5 \times 10^8 \\ \hline citance of a parallel planere between the two is 1.5 \times 10^3 V/s 2 \times 10^{-5} \text{ V/s} \\ \hline cector \vec{A} = (x + 3y)\hat{\imath} + 4y + 4$	ate capacitor is $2\mu F$. To plates must change in the plates must change in the plates E_0 and E_0 are plates in the plate in the	The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ k is solenoidal for $\alpha = \infty$ $\alpha = 0$ dent of wavelength in the ω equency and unit vector along the then ω $\omega = 0$
A. C. 30. Capal differ 0.4 A A. C. 31. The v A. C. Whice electr A. C. the dir A.	is 1.5×10^8 citance of a parallel planence between the two is $1.5 \times 10^3 \text{V/s}$ $2 \times 10^{-5} \text{V/s}$ $2 \times 10^{-5} \text{V/s}$ $2 \times 10^{-5} \text{V/s}$ $\alpha = 2$ $\alpha = -2$ h of the following	ate capacitor is $2\mu F$. To plates must change in the plates must change in the plates E_0 and E_0 are plates in the plate in the	The rate at which the potential to get displacement current of $2 \times 10^5 \text{ V/s}$ $2 \times 10^5 \text{ V/s}$ $1.5 \times 10^{-3} \text{ V/s}$ $k \text{ is solenoidal for}$ $\alpha = \infty$ $\alpha = 0$ $\text{dent of wavelength in the}$ ω equency and unit vector along the then $k \geq \frac{c}{\omega}$

Spirit Control of the Spirit o	requence of	equinical contractions	
Α.	Pauli's exclusion principle	8.	Hook's law
C.	matter waves	0.	Uncertainty relation
36,	For scattering angle $\varphi=90^\circ$, Com	pton's shif	t Δλ reduces to
A.	1 h	В.	h
erocus and the second	$\frac{1}{mc}(1+\cos\varphi)$		mc .
C	0	D.	$\frac{h}{mc}(1-\cos\varphi)$
37. In	photoelectric effect, at stopping po	tential Vo	the photocurrent (1) becomes
A.	,00	В.	constant
C.	0	D.	1/e of i
38. 1	The Compton wavelength (in Å) for	an electron	is
Α.	2.0	В.	0. 2
C.	0.02	D,	0.002
Charleston Co.	le Broglie wavelength is associated	with partic	les in motion only, if it is a
Α.	charged	8.	uncharged
C.	both charged and uncharged	D.	none of these
and the same of th	uncertainty principle is a conseque	MEDICAL PROPERTY.	·
A.	dual nature of matter	θ.	wave nature of matter
C.	particle nature of matter	. D.	none of these
	electron moving through a potent elength (in Å) of	B.	10
A. C.	elength (in Å) of		
A. C. Z. The	elength (in Å) of 1 100 number of basic crystal system is	В.	10
A. C. Z. The A.	elength (in Å) of 1 100 number of basic crystal system is 4	B. D.	10 1000
A. C. Z. The A. C.	elength (in Å) of 1 100 number of basic crystal system is 4 6	B. D.	10 1000
A. C. Z. The A. C. S. Mille	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents	B. D.	10 1000
A. C. Z. The A. C. 3. Mille	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane	B. D. B. D. B. D.	10 1000 5 7 a particular plane none of these
A. C. Z. The A. C. 3. Mille A. C. C. 1. The	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having	B. D. B. D. B. D.	10 1000 5 7 a particular plane none of these
A. C. Z. The A. C. 3. Mille A. C. 1. The respe	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are	B. D. B. D. B. D.	10 1000 5 7 a particular plane none of these
A. C. Z. The A. C. 3. Mille A. C. 4. The respe	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101	B. D. B. D. intercepts B. D.	10 1000 5 7 a particular plane none of these 2, ∞, ∞ units on a,b,c axes 001 020
A. C. (2. The A. C. 3. Mille A. C. 4. The respe A. C. 5. If a	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101 0 and r be respectively the lattice of	B. D. B. D. intercepts B. D.	10 1000 5 7 a particular plane none of these 2, ∞, ∞ units on a,b,c axes 001 020
A. C. 12. The A. C. 3. Mills A. C. 4. The respe A. C. 5. If a	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101	B. D. B. D. intercepts B. D.	10 1000 5 7 a particular plane none of these 2, ∞, ∞ units on a,b,c axes 001 020 d radius of an atom in a BCC
A. C. Z. The A. C. 3. Mille A. C. 4. The respe A. C. 5. If a	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having extively are 101 0 and r be respectively the lattice coure, then	B. D. B. D. intercepts B. D. onstant an	10 1000 5 7 a particular plane none of these 2, ∞, ∞ units on a,b,c axes 001 020
A. C. Z. The A. C. 3. Mille A. C. 4. The respe A. C. i. If a struct A.	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having extively are 101 0 and r be respectively the lattice cure, then $r = \frac{\sqrt{3}}{4}a$	B. D. B. D. intercepts B. D. onstant an	10 1000 5 7 a particular plane none of these 2, ∞, ∞ units on a,b,c axes 001 020 d radius of an atom in a BCC
A. C. Z. The A. C. 3. Mille A. C. 1. The respe A. C. i. If a struct A. C.	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101 0 and r be respectively the lattice coure, then $r = \frac{\sqrt{3}}{4}a$ $r = a$	B. D. B. D. intercepts B. D. onstant and	10 1000 5 7 a particular plane none of these 2, ∞, ∞ units on a,b,c axes 001 020 d radius of an atom in a BCC
A. C. Z. The A. C. 3. Mille A. C. 4. The respe A. C. 5. If a struct A.	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having extively are 101 0 and r be respectively the lattice cure, then $r = \frac{\sqrt{3}}{4}a$	B. D. B. D. intercepts B. D. constant and	$\begin{vmatrix} 10 \\ 1000 \end{vmatrix}$ 5 7 $\begin{vmatrix} a \text{ particular plane} \\ \text{ none of these} \end{vmatrix}$ 2, ∞ , ∞ units on a,b,c axes $\begin{vmatrix} 001 \\ 020 \\ \text{d radius of an atom in a BCC} \end{vmatrix}$ $r = \frac{\sqrt{2}}{4}a$ $r = \frac{a}{\sqrt{3}}$
A. C. Z. The A. C. 3. Mille A. C. 4. The respe A. C. i. If a struct A.	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101 0 and r be respectively the lattice coure, then $r = \frac{\sqrt{3}}{4}a$ $r = a$	B. D. B. D. Intercepts B. D. onstant and B. D.	10 1000 5 7 a particular plane none of these 2, ∞ , ∞ units on a,b,c axes 001 020 d radius of an atom in a BCC $r = \frac{\sqrt{2}}{4} \frac{a}{a}$ $r = \frac{a}{\sqrt{3}}$
A. C. Z. The A. C. 3. Mille A. C. 4. The respe A. C. 5. If a struct A. C. C. The at A. C.	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101 0 and r be respectively the lattice cure, then $r = \frac{\sqrt{3}}{4}a$ $r = a$ omic packing factor for FCC structu 74% 68%	B. D. B. D. intercepts B. D. constant and	$\begin{vmatrix} 10 \\ 1000 \end{vmatrix}$ 5 7 $\begin{vmatrix} a \text{ particular plane} \\ \text{ none of these} \end{vmatrix}$ 2, ∞ , ∞ units on a,b,c axes $\begin{vmatrix} 001 \\ 020 \\ \text{d radius of an atom in a BCC} \end{vmatrix}$ $r = \frac{\sqrt{2}}{4}a$ $r = \frac{a}{\sqrt{3}}$
A. C. Z. The A. C. 3. Mille A. C. 4. The respe A. C. 5. If a struct A. C. C. The at A. C.	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101 0 and r be respectively the lattice cure, then $r = \frac{\sqrt{3}}{4}a$ $r = a$ omic packing factor for FCC structu 74% 68%	B. D. B. D. intercepts B. D. onstant and B. D.	10 1000 5 7 a particular plane none of these 2, ∞ , ∞ units on a,b,c axes 001 020 d radius of an atom in a BCC $r = \frac{\sqrt{2}}{4} \frac{a}{a}$ $r = \frac{\sqrt{3}}{\sqrt{3}}$ 52% 49%
A. C. IZ. The A. C. A. C. A. C. 4. The respe A. C. 5. If a struct A. C. C.	elength (in Å) of 1 100 number of basic crystal system is 4 6 er indices (hki) represents a set of parallel planes a set of arbitrary plane Miller indices of a plane having ectively are 101 0 and r be respectively the lattice coure, then $r = \frac{\sqrt{3}}{4}a$ $r = a$ omic packing factor for FCC structu 74%	B. D. B. D. Intercepts B. D. onstant and B. D.	10 1000 5 7 a particular plane none of these 2, ∞ , ∞ units on a,b,c axes 001 020 d radius of an atom in a BCC $r = \frac{\sqrt{2}}{4} \frac{a}{a}$ $r = \frac{a}{\sqrt{3}}$

Ca l	FCC	В.	BCC
SO. Product	ion of continuous x-rays is ten	C.	none of these
A. (Compton effect	med as	
_ C.	Dispers 1	В,	Scattering
51. The amn	nverse photoelectric effect	. D.	Photoelectric effect
relation	article of electric and magnet	tic fields ar	Photoelectric effect re related to each other by the
A. /	2.0		
	$_{0}B_{0}=c$	В.	$B_0 = E_0 c$
	$E_0 = B_0 c$		$B_0 = E_0 c$ $E_0 B_0 = c^2$
A	& Germer experiments relate	es to	in the state of th
	nerierence	В.	polarization
C. e	lectron-diffraction	D.	phosphorine
53. Matter w	aves	72 0 1	prosprioring
	re longitudinal	В.	are electromagnetic
C. a	lways travel with c	D	charie diffraction
54. The phase	e velocity (vn) and the group	velocity /a	(g) of a de Broglie wave in free
space (spe	ed of light = c) are related as	velocity (g) of a de Brogile wave in free
	$v_p = \sqrt{2}v_q$	В,	1
THE RESERVE OF THE PARTY OF THE			$v_p v_g = c^2$ $v_p v_g = c^{1/2}$
	$v_g = c$	D.	$v_p v_g = c^{1/2}$
55. The wave	iunction of certain particle is	$s \psi(x) = A$	$\cos^2 x$ for $-\frac{\pi}{2}$ to $\frac{\pi}{2}$; then the
value of A	15		
A.	8	В.	3
	3π		$\sqrt{\frac{8\pi}{8\pi}}$
1			100
C.	1	D.	3
	2π		$\sqrt{\frac{3}{2\pi}}$
Y	Name of the Owner		
6. The state	of a free particle is repre	sented by	a wave function $\psi(x,0) =$
Ne 202+1kg	the value of N is		
Δ	t; the value of N is .	В.	1 1
~		D.	-1/2-1/4
	$\sqrt{a\pi}$	0	$\frac{\pi^{1/2}a^{1/4}}{1}$
C.	14 15	D.	
7 1111 1 1 1 1	$\pi^{1/4}a^{1/2}$		_ πα
	e following operator is Hermi	and the second second	
A. $i\frac{d}{dx}$		В.	(d)2
d	r		$\left(\frac{d}{dx}\right)^2$
C. /d	3	D.	d
1			
			dx

48. Miller indices of a plane having intercepts of 8a, 4b, and 2c on a, b, c axes

D.

(004)

(101)

(142)

NaCl crystal is

49,

M25 M.Sc Physics

Ç,

C. $\left(\frac{d}{dx}\right)^3$ 58. The value of $[L_z, L^2]$ is

iħ

 $L_x + iL_y$

SET A

B.

D.

1

0

A	4	atom is	V(r)=0
	$V(r) = -\frac{A}{r^2}$	5.	
C	$V(\tau) = Ae^{-r/a_0}$	D.	$V(r) = -\frac{A}{r}$
60. E	lectrons have half integral spin	and obey	
A	B-E Statistics	В.	M-B Statistics
C	F-D Statistics	D.	both B-E & F-D Statistics
61. T	he change in the internal energy	y of the gas is d	irectly proportional to
A	change in volume	В.	change in pressure
C	change in temperature	D.	none of these
2. If	the degree of freedom of a gas	Is n, then C./C	, is
A.	2n	В.	
	$\sqrt{n+1}$	100	$1+\frac{2}{n}$
C.	The state of the s	-	
-	1+1 /	D.	$1+\frac{1}{2n}$
	n	Section 4.	2n
3. Ac	cording to quantum mechanics	, for a free part	itle V=0
A.	energy levels are discr	ete B.	energy levels are discret
	and equispaced .		and not equispaced
C.	energy is zero	. D.	Energy levels are continuum
I. In	electromagnetic field which o	ne of the foll	owing remains invariant unde
	Buche Held Alliell		
Lore	entz transformation	me or the roll	owing remains invariant unde
Lore A.	entz transformation		
Lore	entz transformation $ \vec{E} \times \vec{B} $ $ E^{2} $	8.	$E^2 - c^2 B^2$
A. C.	entz transformation $\vec{E} \times \vec{B}$ E^2	B. D	
C.	entz transformation $\vec{E} \times \vec{B}$ E^2 is position vector, then curl \vec{r} is	8. D	$ \begin{array}{c c} E^2 - c^2 B^2 \\ B^2 \end{array} $
A. C.	entz transformation $\vec{E} \times \vec{B}$ E^2	B. D	$ \begin{array}{c c} E^2 - c^2 B^2 \\ B^2 \end{array} $
C. If \vec{r} A. C.	entz transformation $ \vec{E} \times \vec{B} $ $ E^{2} $ is position vector, then curl \vec{r} is $ 1 $ 0	8. D	$ \begin{array}{c c} E^2 - c^2 B^2 \\ B^2 \end{array} $
Lore A. C. If \vec{r} A. C.	entz transformation $ \vec{E} \times \vec{B} $ $ \vec{E}^{2} $ is position vector, then curl \vec{r} is $ 1 $ 0	B. D S B. D.	$ \begin{array}{c c} E^2 - c^2 B^2 \\ B^2 \end{array} $ $ 3 \\ \vec{r}/r $
Lore A. C. If \vec{r} A. C. ∇	entz transformation $ \vec{E} \times \vec{B} $ $ \vec{E}^{2} $ is position vector, then curl \vec{r} is $ 1 $ $ 0 $ $ \vec{r}^{2} $ is equal to $ r^{2}$	B. D S B. D. B.	$ \begin{array}{c c} E^2 - c^2 B^2 \\ B^2 \\ \hline & \vec{r}/r \\ \hline & r^3 \\ \end{array} $
Lore A. C. If r A. C. A. C.	entz transformation $ \begin{array}{c c} \vec{E} \times \vec{B} \\ E^2 \\ \vec{r} \text{ is position vector, then curl } \vec{r} \text{ is} \\ 0 \\ \vec{r} \\ \vec{r}^3 \text{) is equal to} \\ \hline r^2 \\ r^{1/3} \\ \end{array} $	B. D. B. D. B. D.	$ \begin{array}{c c} E^2 - c^2 B^2 \\ B^2 \\ \hline & \vec{r}/r \\ \hline & r^3 \\ \hline & 0 \end{array} $
Lore A. C. If r A. C. A. C.	entz transformation $ \vec{E} \times \vec{B} $ $ \vec{E}^{2} $ is position vector, then curl \vec{r} is $ 1 $ $ 0 $ $ \vec{r}^{2} $ is equal to $ r^{2}$	B. D. B. D. B. D. speed of molecome	$ \begin{array}{c c} E^2 - c^2 B^2 \\ B^2 \\ \hline & \vec{r}/r \\ \hline & r^3 \\ \hline & 0 \end{array} $
Lore A. C. If r A. C. A. C.	entz transformation $ \begin{array}{c c} \vec{E} \times \vec{B} \\ E^2 \\ \vec{r} \text{ is position vector, then curl } \vec{r} \text{ is} \\ 0 \\ \hline \frac{\vec{r}}{r^3} \text{ is equal to} \\ \hline r^2 \\ r^{1/3} \\ \text{gas the expression for average} $	B. D. B. D. B. D.	$E^{2}-c^{2}B^{2}$ B^{2} \vec{r}/r r^{3} 0 Tule is given by
Lore A. C. If r A. C. A. C.	entz transformation $ \begin{array}{c c} \vec{E} \times \vec{B} \\ E^2 \\ \vec{r} \text{ is position vector, then curl } \vec{r} \text{ is} \\ \hline 1 \\ 0 \\ \hline r^2 \\ r^{1/3} \\ \text{gas the expression for average} \\ \hline 3kT$	B. D. B. D. B. D. speed of molecome	$E^{2}-c^{2}B^{2}$ B^{2} \vec{r}/r r^{3} 0 cule is given by $2kT$
Lore A. C. If r A. C. A. C.	entz transformation $ \begin{array}{c c} \vec{E} \times \vec{B} \\ E^2 \\ \vec{r} \text{ is position vector, then curl } \vec{r} \text{ is} \\ 0 \\ \hline \frac{\vec{r}}{r^3} \text{ is equal to} \\ \hline r^2 \\ r^{1/3} \\ \text{gas the expression for average} $	B. D. B. D. B. D. speed of molecome	$E^{2}-c^{2}B^{2}$ B^{2} \vec{r}/r r^{3} 0 Tule is given by
Lore A. C. If r A. C. V (A. C. In a	entz transformation $ \begin{array}{c c} \vec{E} \times \vec{B} \\ E^{2} \\ \vec{r} \text{ is position vector, then curl } \vec{r} \text{ is} \\ 1 \\ 0 \\ \hline $	B. D. B. D. speed of molec	$E^{2}-c^{2}B^{2}$ B^{2} \vec{r}/r r^{3} 0 cule is given by $\frac{2kT}{m}$
Lore A. C. If r A. C. A. C.	entz transformation $ \begin{array}{c c} \vec{E} \times \vec{B} \\ E^2 \\ \vec{r} \text{ is position vector, then curl } \vec{r} \text{ is} \\ \hline 1 \\ 0 \\ \hline r^2 \\ r^{1/3} \\ \text{gas the expression for average} \\ \hline 3kT$	B. D. B. D. B. D. speed of molecome	$E^{2}-c^{2}B^{2}$ B^{2} r^{3} 0 Sule is given by $\sqrt{\frac{2kT}{m}}$
Lore A. C. If r A. C. V (A. C. In a	entz transformation $ \begin{array}{c c} \vec{E} \times \vec{B} \\ E^{2} \\ \vec{r} \text{ is position vector, then curl } \vec{r} \text{ is} \\ 1 \\ 0 \\ \hline $	B. D. B. D. speed of molec	$E^{2}-c^{2}B^{2}$ B^{2} \vec{r}/r r^{3} 0 cule is given by $\frac{2kT}{m}$
Lore A. C. If T A. C. V (A. C. In a A.	entz transformation $\begin{array}{c c} \vec{E} \times \vec{B} \\ \hline E^2 \\ \hline \text{is position vector, then curl } \vec{r} \text{ is} \\ \hline 1 \\ 0 \\ \hline \\ r^2 \\ \hline r^{1/3} \\ \hline \text{gas the expression for average} \\ \hline \\ \hline \frac{3kT}{m} \\ \hline \\ \hline 8kT \\ \hline \end{array}$	B. D. B. D. speed of molec	$E^{2}-c^{2}B^{2}$ B^{2} \vec{r}/r r^{3} 0 cule is given by $\sqrt{\frac{2kT}{m}}$
Lore A. C. If T A. C. V (A. C. In a A.	entz transformation $\begin{array}{c c} \vec{E} \times \vec{B} \\ \hline E^2 \\ \hline \text{is position vector, then curl } \vec{r} \text{ is} \\ \hline 1 \\ 0 \\ \hline \\ r^2 \\ \hline r^{1/3} \\ \hline \text{gas the expression for average} \\ \hline \\ \hline \\ \hline \\ \frac{3kT}{m} \\ \hline \\ \hline \\ \frac{8kT}{\pi m} \\ \hline \end{array}$	B. D. B. D. speed of molec	$E^{2} - c^{2}B^{2}$ B^{2} 3 \vec{r}/r r^{3} 0 cule is given by $\frac{2kT}{m}$ $\sqrt{\frac{3kT}{2m}}$
Lore A. C. If r A. C. V (A. C. In a A.	entz transformation $\begin{array}{c c} \vec{E} \times \vec{B} \\ \hline E^2 \\ \hline \text{is position vector, then curl } \vec{r} \text{ is} \\ \hline 1 \\ 0 \\ \hline \\ \frac{\vec{r}}{r^2} \\ \text{is equal to} \\ \hline \\ r^2 \\ \hline r^{1/3} \\ \hline \text{gas the expression for average} \\ \hline \\ \hline \\ \hline \\ \frac{3kT}{m} \\ \hline \\ \hline \\ \frac{8kT}{\pi m} \\ \hline \\ \text{fiulds are assumed to have} \\ \end{array}$	B. D. B. D. Speed of molecular and the control of t	$E^{2}-c^{2}B^{2}$ B^{2} \vec{r}/r r^{3} 0 cule is given by $\sqrt{\frac{2kT}{m}}$
Lore A. C. If \vec{r} A. C. In a A. C. At OK A. C.	entz transformation $\begin{array}{c c} \vec{E} \times \vec{B} \\ \hline E^2 \\ \hline \text{is position vector, then curl } \vec{r} \text{ is} \\ \hline 1 \\ 0 \\ \hline r^2 \\ \hline r^{1/3} \\ \hline \text{gas the expression for average} \\ \hline \hline \sqrt{\frac{3kT}{m}} \\ \hline \frac{8kT}{\pi m} \\ \hline \text{fluids are assumed to have} \\ \hline \hline \text{minimum entropy} \\ \hline \end{array}$	B. D. Speed of molecular B. D.	$E^{2}-c^{2}B^{2}$ B^{2} 3 \vec{r}/r r^{3} 0 Sule is given by $\sqrt{\frac{2kT}{m}}$ $\sqrt{\frac{3kT}{2m}}$ zero entropy
Lore A. C. If \vec{r} A. C. In a A. C. At OK A. C.	entz transformation $\begin{array}{c c} \vec{E} \times \vec{B} \\ \hline E^2 \\ \hline \text{is position vector, then curl } \vec{r} \text{ is} \\ \hline 1 \\ 0 \\ \hline \\ r^2 \\ \hline \end{array}$ is equal to $\begin{array}{c c} r^2 \\ r^{1/3} \\ \hline \text{gas the expression for average} \\ \hline \hline \sqrt{\frac{3kT}{m}} \\ \hline \\ \hline \text{fluids are assumed to have} \\ \hline \text{minimum entropy} \\ \hline \text{maximum entropy} \\ \hline \end{array}$	B. D. Speed of molecular B. D.	$E^{2}-c^{2}B^{2}$ B^{2} 3 \vec{r}/r r^{3} 0 Sule is given by $\sqrt{\frac{2kT}{m}}$ $\sqrt{\frac{3kT}{2m}}$ zero entropy

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In

*	classical partition function Z giv		
100	sum of energy of system	8.	sum of momentum
C	· Sum of state - 6		System
1. Ab	sum of states of system etter power supply should posse	D.	none of these
A	hint supply should posse	5	
C	- "Bildi input impedence	B.	lower input impedence
	total voltage resolution	D.	lowest output impedence
72. Tel	mperature coefficient of carbon r		- The A doublet improveme
A.	zero zero	The state of the s	
C	negative	В.	positive
73. The	dynamic recistance for our	D.	Both positive & negative
of 1	dynamic resistance (in Ohms) of 0 mA at room temperature is	an ideal p-n	Junction with a forward curren
Α.	0.5		
C.	2.0	. B.	1.5
	the state of the s	D.	2.5
A.	en operated in cutoff and saturati	ion, the transi	
<u>^.</u>	a linear amplifier	В.	a switch
	a variable resistor	D.	a variable capacitor
75. AN	NOSFET differs from JFET mainly be	ecause	
- A.	of power rating	В.	MOSFET has two gates
C.	JFET has a pn junction	D.	MOSFET do not have
			physical channel
76. The	mobility of an electron in a condu	uctor is expres	ssed in terms of
A.	$cm^2V^{-1}s^{-1}$	В.	cm V-1s-1
C.	cm ² V ⁻² s ⁻¹	D.	cm2s-1
77 Inf	rared LED is usually fabricated from	-	
A.	Ge	В.	Si
C.	GaAs	D.	GaAsP
78. Th	e impurity commonly used for	realizing the	base region of a silicon no
tra	nsistoris		
A.	Gallium	В.	phosphorous
C.	Boron	D.	Indium
79. Di	gital circuits can be made by repeti	tive use of the	e following gates
A.	NOT	В.	NAND
G.	AND	D.	XOR
80 AF	nalf adder is a logic circuit with	1	
A.	3 inputs & 1 output	1 0	
C.	2 inputs & 1 output	В.	3 inputs & 2 output
111/4		D.	2 inputs & 2 output
81. Da	ta are stored in a random access m	emory (RAM)	during the
Α.	read operation	В.	enable operation
C.	write operation	D.	address operation
82. AF	ROM is a	1 2 24 15	- operation
A.	volatile memory	D	
-	non volatile memory	B. D.	read/write memory byte organized memery
C.	I IIVII VOIATIIP Memory		

83.	. The c	elgen values of the matrix 0	0 0 1 1 are	
	A.	1,1,2	1 11 B.	0,1,2
	c.	2,2,0	D.	2,2,1
84	The	value of the integral $I = \frac{1}{2\pi i} \oint_{c}$	dz	
-				1
-	A.	0.5 2i	8. D.	0
85.	And the last of th	ording to Curie-Weiss law	U.	
05,	A.	C	В.	
	^,	$\chi = \frac{1}{\Omega - T}$	В.	$\chi = \frac{1}{T + \Theta}$
	C.	$x = \frac{c}{\Theta - T}$ $x = \frac{c}{T - \Theta}$	D.	$\chi = \frac{c}{T + \Theta}$ $\chi = \frac{C}{T\Theta}$
86.	Soft	super conductors observe	eli all'indice	THE THE REPORT OF THE PARTY OF
	A.	Silsbee's effect	В	Meissner's effect
	C.	both of these	D	none of these
87.		order of magnitude of binding er	nergy (in MeV	per nucleon in a nucleus is
	Α.	1	В.	. 10
	C.	100	D.	3
88.	Thec	onstant $\frac{eh}{2m} = 9.2741 \times 10^{-24}$	T^{-1} units is to	ermed as
	Α.	Curie	В	Bohr magneton
	C.	Rutherford	D. ;	fine constant
89.	Accor	ding to Shell model, the ground	state of 150 r	nucleus is
			В.	
	A.	$\frac{3^+}{2}$	В.	$\cdot \left \frac{1^+}{2} \right $
		2		and the second s
	C.	3 to salpri unio integral	D.	1-2
		2		2
90.	The h	alf life of a radioactive sample is		
	^	$e^{-\lambda/2}$	В.	ln2
	A.			a la
A CONTRACTOR		7.1	D.	1 1
	C.	$\frac{\ln \lambda}{2}$	U.	$\frac{\pi}{2}$
			1	
91.	238 U a	and ²³⁴ U are		Liannara
E	Α.	isotones	B.	isomers isobars
	C.	isotopes	D,	ISUUdis _
92.	One B	equeral is defined as		
	Α	1 disintegration per sec.	В.	10 disintegration per sec
	C.	10 ⁶ disintegration per sec	D.	3.7 × 10 ⁶ disintegration per sec
93.	Which	of the following is a lepton		
	A.	photon	В.	π – meson
10.3	C.	μ – meson	D.	proton

94. Whi	Which of the following decay is forbidden					
A.	$\mu^- \rightarrow e^- + \nu_\mu + \bar{\nu}_e$	B.	$\pi^+ \rightarrow \mu^+ + \nu_{\mu}$			
C.	$\pi^+ \to e^+ + \nu_e$	D.	$\pi^+ \to \mu^+ + \nu_{\mu}$ $\mu^- \to e^+ + e^- + e^-$			
95. Whi	ch one of the following particles do	es not have	spin 1/2			
A.	proton	В.	photon			
·C.	neutron	D.	neutrino			
96. Hyp	erfine splitting in hydrogen ground s	tate (in eV)	is of the order of			
A.	10-3	В.	10-13			
C.	10-5	D.	10-15			
97. Whi	Which has the smallest levels spacing					
Α.	molecular rotational levels	В.	molecular vibrational levels			
C.	molecular electronic levels	D.	none of these			
98. Rece	ently the gravitational waves were de	tected by				
Α.	LIGO	В.	VIRGO			
C.	LISA	D.	EGO			
	rticle and antiparticle	1	with the into two			
A.	must be different from each	В	always annihilates into two			
-	other must have the same mass	D.	none of these			
L.	must have the same mass cause attributed to neutrino oscillate	ions is due	to the presence of their			
	charge	В.				
A.	charge	D.	charge and spin			

SET A

An example of a non-conservative force is	
(A) Gravitational force	
(C) Magnetostatic force	(B) Electrostatic force
	(D) Viscous force
2. Isotropy of space gives rise to conservation of	
(A) Linear momentum	(D) 4
(C) Energy	(B) Angular momentum
(C) bliefgy	(D) Charge
3. In a collision of two fundamental particles in a	center of mass frame
(A) Total energy of both particles is zero	conter of mass realise
(B) Total linear momentum is zero	
(C) Total angular momentum is zero	
(D) Total charge is zero	Salar Company of the
4. The negative result of Michelson-Morley exper	iment suggests that
(A) Space is homogeneous	
(B) Light travels with a finite speed	
(C) There is no special reference frame in	the universe
(D) There is a special reference frame in the	he universe
5. In Theory of Special Relativity, if space-time in	nterval ds ² = 0 between two events A & B, then
(A) Two events are simultaneous	
(D) Two events happen at the same point	in space
(C) It will take zero time for signal to trav	el between points A & B
(D) Points are light like separated	
	t at a despit has
6. If I A current flows through a circuit, then the	number of electrons flowing through the circuit per
second is	
(A) 0.625 x 10 ¹⁵	(B) 1.6 x 10 ¹⁹
(C) 1.6 x 10 ⁻¹⁹	(D) 0.625 x 10 ⁻¹⁹
7. The resistivity of a conductor depends on	
1. The resistivity of a conductor	
(A) Area of the conductor	(B) Length of the conductor
(C) Type of material	(D) None of these
8. Kirchhoff's Current Law works on the principl	e of which of the following
(A) Law of conservation of charge	
(B) Law of conservation of energy	
(C) Both	
(D) None of the above	
9. How much is the base to emitter voltage of a t	ransistor in the ON state
(A) Zero	(B) 0.7 mV
(C) 0.7 V	(D) Variable
10. α and β are transistor parameters. If $\beta = 100$,	then the approximate value of α is
(A) 0.00	(B) 99
(A) 0.99 (C) 1.01	(D) 101
(0) 1.01	
M25 M.Sc Physics	SET A

11. The I's compliment of a binary number is obt	anica of charges
(A) Each III to a 10!	(B) Each '0' to a '1'
(A) Each 'I' to a '0'	(D) None of the above
(C) Each 'I' to a '0' and each '0' to a '1'	(D) None of the see.
12. A decimal number 6 in excess - 3 code is writ	tten as
(A) 0110	(B) 0011
(C) 1101	(D) 1001
13. The output of a 10 input OR gate is high	* The state of the
(A) Only if even number of inputs are hig	th
(B) Only if odd number of inputs are high	
(C) If any one input is high	
(D) If any one input is low	
14. The equivalent decimal number of a maximum	m hinam number of length one byte is
(A) 8	(B) 64
(C) 255	(D) 256
15. The parity of the binary number 100110011 i	S
(A) even	(B) odd
(C) 4	(D) 5
16. The length of second's pendulum on the surface of n on the surface of earth is	ace of earth is approximately 1 m. The approximate moon, where acceleration due to gravity is (1/6)th of the
(A) 36 m	(B) 1 m
(C) 1/36 m	(D) 1/6 m
17. The displacement of particle performing simp cos(wt), where distance is in cm and time is	
(A) 10 cm	(B) 14 cm
(C) 2 cm	(D) 4 cm
18. A simple pendulum is set up in a trolley which horizontal plane. Then the thread of the pendulum vertical where q is given by	th moves to the right with an acceleration "a" on a dulum in the mean position makes an angle q with the
(A) tan-1(a/g) in the forward direction	(B) tan-1(a/g) in the backward direction
(C) tan' (g/a) in the forward direction	(D) tan-1(g/a) in the backward direction
19. A particle executes Simple Harmonic Motion position its kinetic energy is equal to its pote	(SHM) of amplitude "A". At what distance from mean antial energy
(A) 0.51 A	(B) 0.61 A
(C) 0.71 A	(D) 0.81 A
M25 M.Sc Physics	SET A 20
MZ) W.SCI IIJS	

(A) Zero (C) 3 s 21. The zeroth law of thermodynamics allows (A) work (C) temperature	(B) √3 s (D) Infinite us to define (B) internal energy (D) entropy
(C) 3 s 21. The zeroth law of thermodynamics allows (A) work (C) temperature	(B) √3 s (D) Infinite us to define (B) internal energy (D) entropy
21. The zeroth law of thermodynamics allows (A) work (C) temperature	(D) Infinite us to define (B) internal energy (D) entropy
(C) temperature 22. A constant-volume gas thermometer in	us to define (B) internal energy (D) entropy
(C) temperature 22. A constant-volume gas thermometer in	(B) internal energy (D) entropy
(C) temperature 22. A constant-volume gas thermometer in	(B) internal energy (D) entropy
22. A constant-volume cas thermometer	(D) entropy
22. A constant-volume gas thermometer is used	d to measure the temperature of an object. When the
thermometer is in south of the mometer is used	d to measure the temperature of an object. When the
8.500 × 10 ⁴ Pa. When it is in contact with the cothe object is	to measure the temperature of an object. When the le point (273.16 K) the pressure in the thermometer is object the pressure is 9.650 × 10 ⁴ Pa. The temperature of
(A) 37.0 K	COLUMN TO THE PARTY OF THE PART
(C) 310 K	(B) 241 K
(0)5101	(D) 314 K
23. The two metallic strips that constitute a ther	rmostat must differ in
(A) length	(B) thickness
(C) mass	(D) coefficient of linear expansion
 The coefficient of expansion of certain steel in (C°)⁻¹, is 	is 0.000012 per C°. The coefficient of volume expansion
(A) (0.000012) ³	(B) (4π/3)(0.000012) ³
(C) 3 × 0.000012	(D) 0.000012
25. Heat from Sun reaches the Earth by	
	(B) Conduction
(A) Radiation	(D) None of the above
(B) Convection	The second secon
26. In electrostatics a field line and an equipoter	ntial surface arc
(A) Always perpendicular	
(B) Always parallel	
(C) Makes any possible angle	
(D) None of the above	
7. If a dielectric is inserted between the plates of	of an air filled capacitor, the capacitance will
(A) Increase	
(B) Decrease	
(C) Remain same (D) May increase or decrease depending	upon type of dielectric
8. A capacitor stores .076 Coulombs of charge	at 10 V. It's capacitance is
8. A capacitor stores to a constitution of the capacitor stores to a capacitor stores to	
(A) 7.6 F (C) 0.00076 F	(D) 0.0076 F
(C) 0.00070.	

. 6		W
29. Which of the following electrostatic problems can be s	solved exactly?	
25. Which of the following steament	1	
(A) A charge placed above a grounded infinite cor (B) A charge placed away from a grounded condu (C) None of (A) & (B)	eting sphere.	
(D) Both of (A) & (B)		
30. The materials having low retentivity is suitable for m	aking	
(A) A permanent magnet		
(B) A temporary magnet		
(C) Weak magnets	- 10 Marine	
(D) None of the above		
31. Ferrites are which type of materials		
(A) Paramagnetic	(B) Diamagnetic	
(C) Ferromagnetic	(D) None of the above	
32. What is the reluctance of air gap as compared to san		
(A) Reluctance of air gap is much lower as com	pared to iron	
(D) Reductance of air gap is much higher as com	apared to iron	
(C) Rejudiance of air gap is slightly lower as co	mnared to iron	
(D) Reluctance of air gap is slightly higher as co	ompared to iron	
33. The Biot-Savart's law is a general modification of		
(A) Kirchhoff's law		
(B) Lenz's law		
(C) Ampere's law		
(D) Faraday's law		
(D) I maday 3 law		
34. A rectangular magnet of magnetic moment M is commoment of each piece will be	at into two pieces of same length	, the magnetic
(A) M		
(C) 2M	(B) M/2	
(C) 2M	(D) M/4	
35. Energy stored in an inductor of inductance L carry	ving a current I is	
(A) ½L1²	m 2.	
(A) 71L1	(B) 1/2 L ² I	
(C) ½L²l² ·	(D) 1/LI	
36. In an electromagnetic wave in free space	The second second	
(A) F and P fields are in the second		
(A) E and B fields are in phase and perpendict	ular	
(B) E and B fields are out of phase by 90° and	perpendicular	
(C) E and B fields are in phase and parallel		
(D) E and B fields are out of phase by 90° and	parallel'	

M25 M.Sc Physics

SET A

2017

(D) 101

37. Divergence of magnetic field is zero. This statement implies

- (A) Absence of magnetic monopole
- (B) Absence of magnetic quadrupole
- (C) Presence of magnetic monopole
- (D) Presence of magnetic quadrupole

38. In a system of charged particles in an EM field, which of the following statement is correct?

- (A) Total linear momentum of all the charged particles is conserved
- (B) Total energy of all the charged particles is conserved
- (C) Both A & B
- (D) None of A & B

39. Electromagnetic waves are transverse in nature because these waves can be

- (A) Reflected
- (B) Refracted
- (C) Diffracted
- (D) Polarized

40. Poynting vector gives

- (A) Energy density in a given EM field
- (B) Energy flux density in a given EM field
- (C) Momentum density in a given EM field
- (D) Momentum flux density in a given EM field ...

41. A square matrix through similarity transformation can always be

- (A) Diagonalized
- (B) Triagonalized
- (C) Made an identity matrix
- (D) Made a null matrix

42. According to determinant properties, X times multiple of one row is added to another row, then determinant

- (A) Remains same
- (B) Becomes X times of original determinant
- (C) Becomes X/2 times of original determinant
- (D) Becomes 2X times of original determinant

43. Necessary and sufficient condition for M(x,y)dx + N(x,y)dy to be total differential is

- $(A) \frac{\partial M}{\partial x} = \frac{\partial N}{\partial y}$
- $(B)\frac{\partial M}{\partial v} = \frac{\partial N}{\partial x}$
- $(C)\frac{\partial M}{\partial r}\frac{\partial N}{\partial r}=1$
- $(D)\frac{\partial M}{\partial x}\frac{\partial N}{\partial x} = 1$

M25 M.Sc Physics-

44. Integrating	factor	of eq	uation	xdy-ydx	=·0 is
- THICEIRUIK	Ideler	or od.			

- (A) 1/y2-
- (B) 1/(xy)
- (C) $1/(x^2+y^2)$
- (D) All of above

45. Cross product of two vectors is

- (A) Commutative
- (B) Associative
- (C) Both A & B
- (D) None of A & B

46. f(z) is a function of a complex variable z. f(z) is said to be analytic in a domain D if

- (A) f(z) is defined at all points of D
- (B) f(z) is defined and continuous at all points of D
- (C) f(z) is defined and differentiable at all points of D
- (D) None of the above

47. Value of $\exp(i3\pi/4)$ where $i = \sqrt{-1}$, is

- (A) $(-1/\sqrt{2})+(1/\sqrt{2})i$
- (B) (1/\d2)+(1/\d2)i
- (C) (1/\(\frac{1}{\sqrt{2}}\)i
- (D) (-1/\(\frac{1}{\sqrt{2}}\)i

48. Complex function which is infinite valued is

- (A) sin(z)
- $(B)\cos(z)$
- (C) exp(z)
- $(D) \log(z)$

49. A mapping w = f(z) is conformal at every point where

- (A) f(z) is defined
- (B) f(z) is continuous
- (C) f(z) is analytic
- (D) f(z) is analytic, except at points where derivative f'(z) is zero

50. If f(z) is analytic in a simply connected bounded domain D, then the integral of f(z) over a simple elosed path in D is

- (A) Zero
- (B) πi
- (C) 2ni
- (D) 4ni

M25 M.Sc Physics

SETA

,	
51. An example of a coherent source is	
51. An example of a constraint state is	
(B) Two LEDs of different power	
(C) One bulb and one LED of same power	
(D) Light coming from a bulb by two different paths	
52. A thin film of oil on water looks coloured due to	
(A) Diffraction of light	
(B) Interference of light	
(C) Scattering of light	
(D) Refraction of light	
53. In a Nicole prism made from Calcite crystal, if No, NE and NB are refractive i	ndices of ordinary ray
53. In a Nicole prism made from Calcille crystal, it 140,142 and 18 and	
extraordinary ray and Canada balsam, respectively, then	
The same of the sa	
$(A) N_0 > N_B > N_E$	
(B) $N_0 < N_B < N_E$	
(C) $N_0 < N_B > N_E$	
(D) $N_0 > N_B < N_E$	
54. An optic axis can be found in which type of crystal	
(A) Simple cubic	
(B) Face centered cubic	
(C) Triclinic	
(D) Body centered cubic	
55. Blue colour of sky is due to	
(A) Diffraction of light	
(B) Scattering of light	
(C) Interference of light	
(D) Refraction of light	
56. A circularly polarized light can be resolved into	
56. A circularly p	
(A) Two linearly polarized light beams of equal intensity in phase	
(B) Two linearly polarized light beams a facult intensity out of phase by	90°
(B) Two linearly polarized light beams of unequal intensity out of phase by (C) Two linearly polarized light beams of unequal intensity out of phase	by 90°
(D) Two linearly polarized light occurs	
Voung's double slit experiment, then on the	sereen
57. If a white light source is used in Young's double slit experiment, then on the	by the characters of
at the center followed by few coloured fringe	s on either side
(A) A narrow white Iringe at the center, to how be specified at the center (B) Black and white alternating fringes with white fringe at the center	
(C) Black and white atternating tringes with dark side of central fringe (D) A large number of coloured fringes on either side of central fringe	
58. Constructive interference happens when two waves are	
(A) out of phase	
(B) zero amplitude	
(C) in phase	
(D) in front	

M25 M.Sc Physics

SET A

59. Certain light of wavelength 600 nm in vacuum enters glass having refractive in	dex of 1.5. What will
50. Code: Links of wavelength 600 nm in vacuum enters glass having remactive in	
be weed at a Clickt incide class?	
be wavelength of light inside glass?	
(A) 900 nm	
(B) 600 nm	
(C) 400 nm	
(D) 300 nm	
60. A 2 level laser	
oo. A 2 level laser	
(A) is most office at	
(A) is most efficient laser	
(B) is very difficult to operate	
(C) Does not work	
(D) Has very low power	(III)
61 1- 0-1 1	
61. In Schrödinger wave equation the symbol ψ represents the	
(A) wavelength of the spherical wave	
(B) phase of the spherical wave	
(C) frequency of the spherical wave	
(D) none of these	
60 Yearly and a 1911 of the second of the se	:
62. In the probabilistic interpretation of wave function the quantity ψ is	
(A) a probability desire	
(A) a probability density	
(B) a probability amplitude	,
(C) a probability wavelength (D) a probability frequency	
(D) a probability frequency	,
63. In quantum mechanics the expectation value of an operator O representing a d	unamical variable is
os. In quantum medianes the expectation value of an operator o representing a d	ynamical variable is
(A) smallest of the eigenvalues of O	
(B) largest of the eigenvalues of O	
(C) mean value of all the eigenvalues	
(D) mean value of the eigenvalues weighted by probability density	
64. The energy spectrum of a particle bound in a simple harmonic potential is	
The first of the first of the primary in horself and for the start from the more tage to start a	Presinger (1)
(A) completely continuous	
(B) both continuous and discrete	
(C) completely discrete having equidistant levels	
(D) completely discrete having non-equidistant levels	
	HARTING A SECTION
65. Ehrenfest theorem partially shows the connection between quantum mechanic	es and
(A) photonies	
(B) electronics	
(C) special relativity	
(D) classical mechanics	

(0)	bound unbound			
(C)	both bound and	unbound		
(D)	neither bound no	or unbound		
		.l. describes the hel	avious of	
		ıly describes the bel	aviour or	
(A)		aloms		
(B)		ms and molecules		
(C)		ills and molecules		
(D)	all particles			
O To much	tum machanical	unnelling, if the bar	rier width is increased, tunnel	ling probability win
(A)	increase sligh	itly	word of Specifical bottom and	
(A)		nentially		
(C)		ntly		
(D)		onentially		
(20)		968 (C) (C)	S-notion of a single particl	e
9. Which	one of the follow	ing in an allowed wa	we function of a single particl	to us to be award out F. All.
(A)	X	notes learning to	The state of the s	
(B)	sin(x)			
(C)			a realizable	
(D)	1/x			
	·I to	ACCRET AND		
70. [Px,Py]	is equal to	- Table 1 - 13		
(A) (B)			The second of the second	
(C)				T025 0 (A)
(D)				TOTAL STATE OF THE
		acional lattices are		
71. The ni	imber of two oime	ensional lattices are	(B) 5	
(A)	3		(D) 9	
(C)				-ta subjectivetal system
70 The m	mber of crystallo	graphically equivale	nt planes in the {110} family (B) 6	of a cubic crystal system
(A)	4		(B) 6 (D) 12	
(C)			(D) 12	
		1: tamis molecule	n terms of interatomic distan	ce R is given by
	hara A R mands	are constants for th	e given molecule. The equili	brium separation Re is
	nere A, B, m and a		lander Penerga and an energy admin	Canada to the state of the
(A)	(nA/n ₁ B) ^{1/n-m} (nB/mA) ^{1/m-n}	or marketing in	- (B) (nA/mB) ^{1/m-n} (D) (nB/mA) ^{1/n-m}	NEEDS WELL
(C)	(nB/mA)1/m·n		(D) (nB/mA) ^{1/n-m}	
			(_) in an ionia!!d	in temperatura T is given
	ncentration of Seh	oliky imperfections	'n' in an ionic solid at a certa	ain temperature 1 is given
by				
(4)	N exp(-Ep/kT)		(B) Neva(E /LT)	
	N exp($-E_p/kT$)		(B) N $\exp(E_p/kT)$ (D) N $\exp(E_p/2kT)$	
(0)	onp(christ)		(D) IT EXPLED ZKI	
M25 M.Sc				20

75. The natural cut off frequency ω _m for a one mass M is given by	dimensional periodic lattice with force constant K and
(A) (4K/M) (C) (4K/M) ^{1/2}	(B) (4M/K) (D) (4M/K) ^{1/2}
76. A crystal is subjected to a monochromatic angle of 15°. If the same X-ray beam is us diffraction	X-ray beam; the first order diffraction is obtained at an sed, what is the angle corresponding to the third order
(A) 15° (C) 51°	(B) 31° (D) 61°
0.75 Å is	to move in a one dimensional potential well of length
(A) 150.7eV (C) 350.7eV	(B) 250.7eV (D) 450.7eV
78. The potential of an electron in a one dimer Kronig-Penney model. If V ₀ αb<< h ² /4π ² r	nsional arrangement of atoms is identical to that used in the m, the energy band gap at $k=\pi/\alpha$ is
(A) 2V ₀ b/α	
(C) V ₀ b/2α	(B) 2V ₀ α/b (D) V ₀ α/2b
79. The susceptibility of a piece of ferric oxide of 106 A/m, the flux density in the material	e is 1.5×10 ⁻³ . If the material is subjected to a magnetic field
(A) 0.259T	(D) 1 2 2 2 2
(C) 2.259T	(B) 1.259T (D) 3.259T
80. The number of slip systems in an fcc eryst	al is
(A) 4	(B)8
(C)12	(D) 16
81. Reciprocal lattice of fcc lattice is	
(A) fcc (C) sc	(B) bcc (D) hexagonal
82. L point in the first Brillouin Zone of an fee	e lattice has coordinates
(A) $2\pi/a(1,1,1)$	(B) 2=/c/100)
(C) $2\pi/\eta(1/2,0,0)$	(B) $2\pi/o(1,0,0)$ (D) $2\pi/a(\frac{1}{2},\frac{1}{2},\frac{1}{2})$
83. In an intrinsic semiconductor, the Fermi le	vel lies
(A) at exactly center of band gap (B) approximately near center of band (C) inside valence band (D) inside conduction band	gap
M25 M.Sc Physics	SET A 2017

			semiconductor,	Fermi	level nes
0.4	In	a degenerate	semicolidación		

- (A) at exactly center of band gap
- (B) approximately near center of band gap
- (C) inside valence or conduction band (D) 5kT away from valence or conduction band inside the band gap
- 85. In case of thermal equilibrium in a semiconductor, if n, p, Nc, Nv and n be densities of electrons, holes, effective density of states in conduction band, effective density of states in valence band and intrinsic carriers respectively, then

 - (A) $np = n_i^2$ (C) $np = NcNv n_i^2$

- (B) np = NcNv(D) $np = n_i^2 NcNv$

86. According to Einstein's model, at very low temperatures specific heat of solids varies with temperature T as (a is a positive eonstant)

- (A) T (C) T³

- (B) T²
 (D) exp(-a/T)

87. Most probable speed in Maxwell-Boltzmann distribution of molecular velocities is

(A) $\sqrt{(2kT/m)}$

(B) $\sqrt{(3kT/m)}$

(C) √(8kT/\(\pi\mm\))

(D) $\sqrt{(5kT/2m)}$

88. Specific licat at constant volume Cv of hydrogen gas at room temperature is (R is gas constant)

(A) 3R/2

(B) 5R/2

(C) 7R/2

(D) 9R/2

89. In micro canonical ensemble

- (A) energy is fixed
- (C) both A & B

- (B) no. of particles is fixed
- (D) none of A & B

90. In Bose-Einstein condensation, transition temperature Tc is given by

- (A) $[h^2/(2\pi mk)][N/(2.612V)]^{1/2}$
- (B) $[h^2/(2\pi mk)][N/(2.612V)]^{-1/4}$ (D) $[h^2/(2\pi mk)][N/(2.612V)]^{-1/4}$
- (C) $[h^2/(2\pi mk)][N/(2.612V)]^{1/2}$

91. In spectroscopic notation, a single electron in an atom having angular momentum state 1=3 is represented by

(A) s

(C) d

(D) f

92. Vibrational and rotational motions of a molecule are independent of each other. This principle is known as

- (A) Born-Oppenheimer approximation

(C) Stoke's law

(D) Larmor precession

(B) Raman effect

M25 M.Sc Physics

SET A

(A) 2N 2	(B) 3N-4
(A) 3N ~ 3	
(C) 3N - 5	(D) 3N – 6
24. In order to be Raman active a molecular rotat	tion or vibration must cause some change in
(A) electric dipole moment	(B) magnetic dipole moment
(C) electric quadrupole moment	(D) molecular polarizability
5. Selection rule for Raman spectroscopy is	
$(A) \Delta J = 0$	(B) $\Delta J = \pm 2$
(C) $\Delta J = 0$ or ± 2	$(D) \Delta J = \pm 1$
 If a mu-meson is captured by a proton in 1s of to hydrogen atom will be about 	rbital, the radius of the mu-mesonic atom as compare
(A) 200 times	(D) 2002 dimen
(C) 1/200 times	(B) 200 ² times (D) 1/200 ² times
7. Nuclear shape can be determined from a measure	surement of
(A) nuclear electric dipole moment (C) nuclear magnetic dipole moment	(B) nuclear electric quadrupole moment (D) nuclear magnetic quadrupole moment
3. Ground state of deuteron is in which angular r	nomentum state
(A) 1=0	(B) combination of I=0 and I=1
(C) 1=2	(D) combination of 1=0 and 1=1
Ground state of deuteron is in which spin state	
(A) S = 0	(B) $S = V_2$
(C) S = 1	(D) S = 2
Which of the following particles is responsible in the dccay of neutron	le for carrying away the missing energy and moment
(A) alpha particle	(B) neutrino
(C) lepton	(D) proton
(C) lepton	
(C) reprofi	(S) proton